



ICC-CMRF (2016-2017)

An Efficient Uniform Color Space for High Dynamic Range and Wide Gamut Imagery

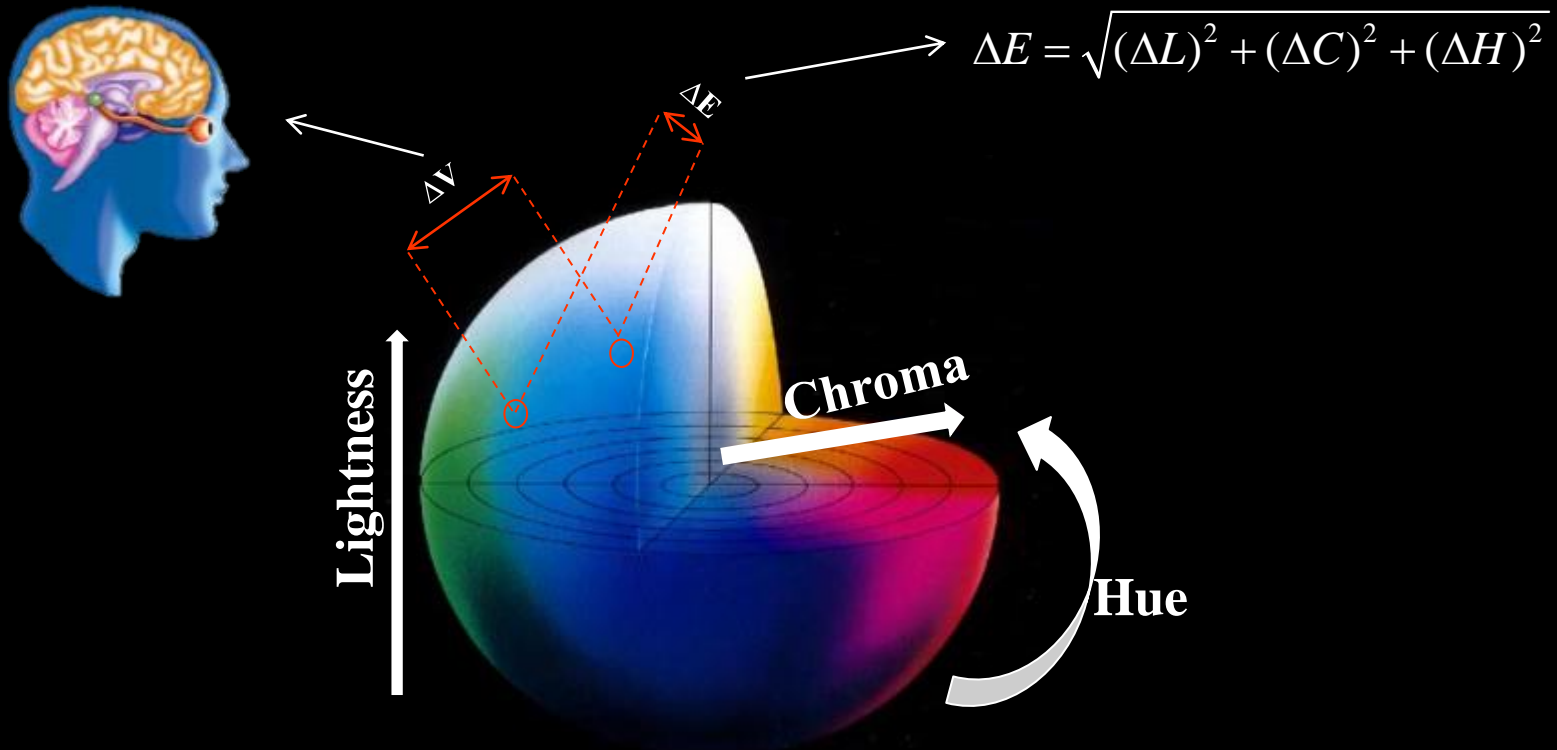
Presenter: Muhammad Safdar (PhD)

Supervisor: Prof. M. Ronnier Luo

Zhejiang University, China

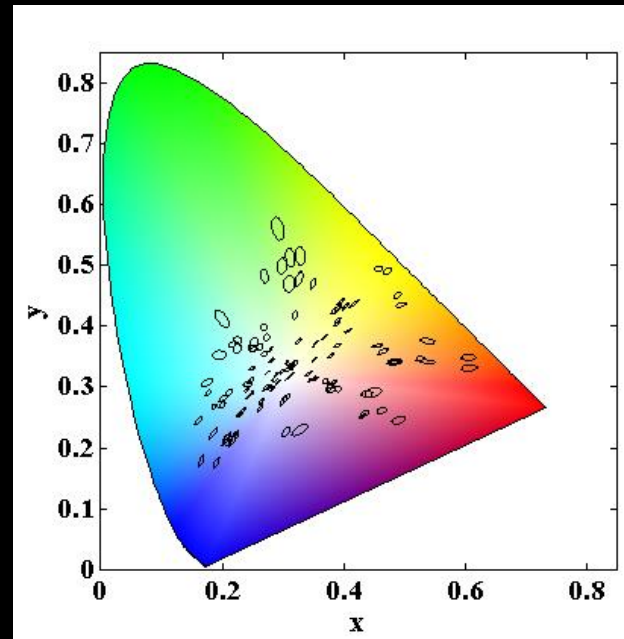
Uniform Color Space

- Predicts perceptual color difference
- No inter-dependence b/w lightness, chroma, and hue

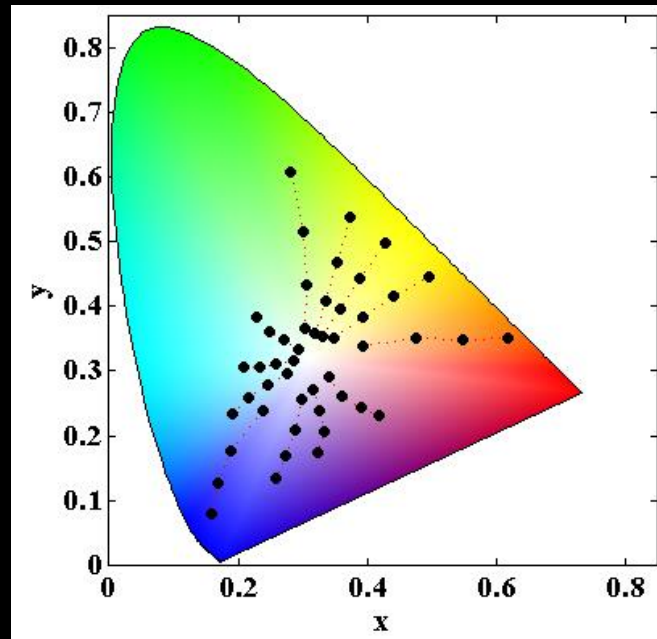


Criteria for a New UCS

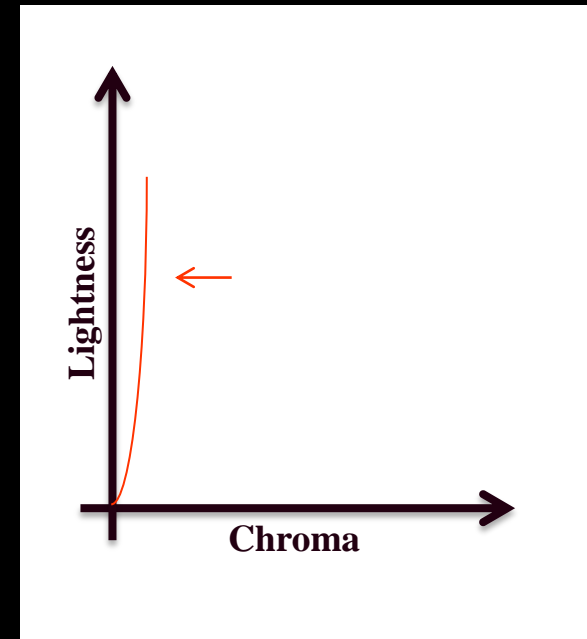
1 Uniformity (Local & Global)



2 Hue Linearity



3 Grey-scale Convergence



4 To uniformly encode high dynamic range signals e.g., 0-10,000 cd/m²

5 To uniformly encode wide gamut image signals e.g., Rec.2020



Test Spaces

1) **CIELAB**

CIE/ISO standard

2) **CAM16-UCS**

Accurately predicts small color difference data

3) **IC_TC_P**

Dolby's proposal for HDR and WCG

4) **J_Za_Zb_Z**

Current Proposal



Criteria and Visual Data

No.	Criteria	Data sets	Purpose
1	Perceptual Color Difference	i) COMBVD ii) OSA	i) Training ii) Testing
2	Perceptual Uniformity	i) COMBVD Ellipses ii) MacAdam Ellipses iii) Munsell Data	i) Reference ii) Testing iii) Testing
3	Hue Linearity	i) Hung & Berns ii) Ebner & Fairchild iii) Xiao <i>et al.</i>	i) Reference ii) Testing iii) Testing
4	Wide-range Lightness Prediction	i) RIT SL1 ii) RIT SL2	i) Testing ii) Training
5	Grey-scale convergence	Chroma-ratio metric (%)	Chroma-Ratio = $100 \frac{3C_w}{C_r + C_g + C_b}$

Proposed $J_z a_z b_z$ space

$$\begin{bmatrix} X'_{D65} \\ Y'_{D65} \end{bmatrix} = \begin{bmatrix} bX_{D65} \\ gY_{D65} \end{bmatrix} - \begin{bmatrix} (b-1)Z_{D65} \\ (g-1)X_{D65} \end{bmatrix} \quad (1)$$

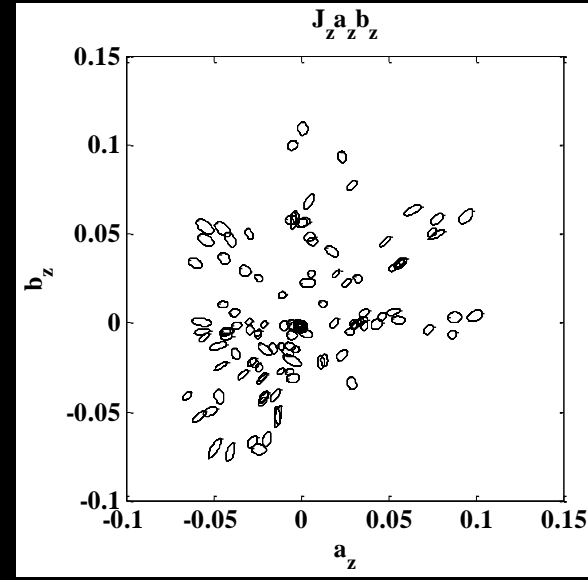
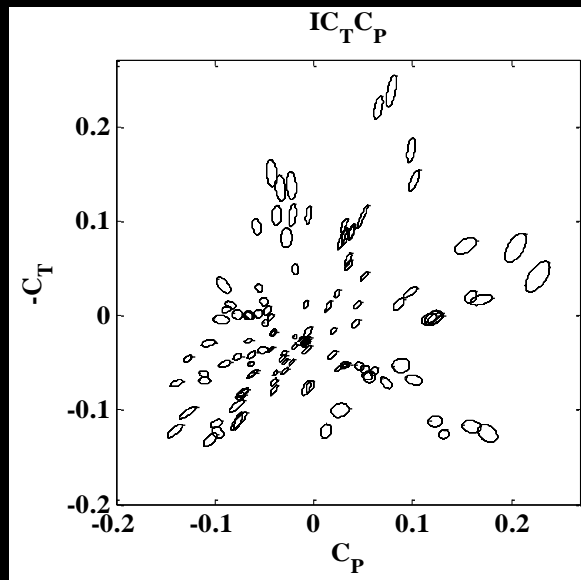
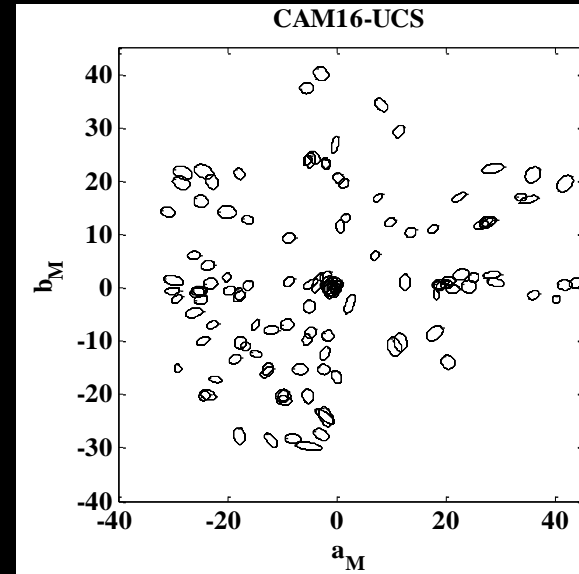
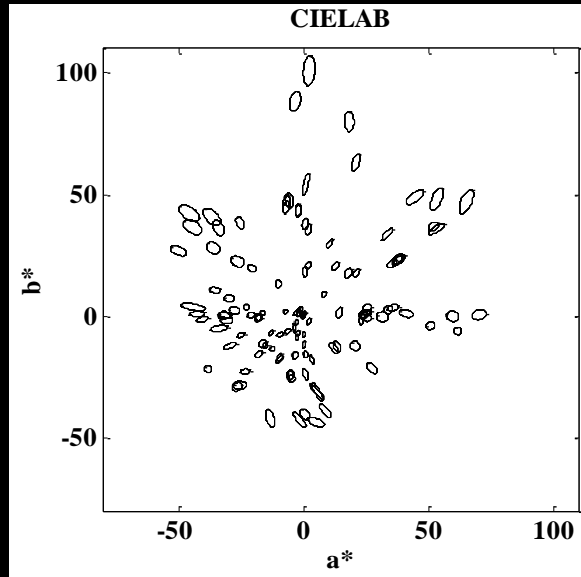
$$\begin{bmatrix} L \\ M \\ S \end{bmatrix} = \begin{bmatrix} 0.41478972 & 0.579999 & 0.0146480 \\ -0.2015100 & 1.120649 & 0.0531008 \\ -0.0166008 & 0.264800 & 0.6684799 \end{bmatrix} \begin{bmatrix} X_{D65} \\ Y_{D65} \\ Z_{D65} \end{bmatrix} \quad (2)$$

$$\{L', M', S'\} = \frac{c_1 + c_2 \left(\frac{\{L, M, S\}^n}{10,000} \right)^p}{1 + c_3 \left(\frac{\{L, M, S\}^n}{10,000} \right)^p} \quad \text{where } n = 2610 / 2^{14} \\ p = 1.7 \times 2523 / 2^5 \quad (3)$$

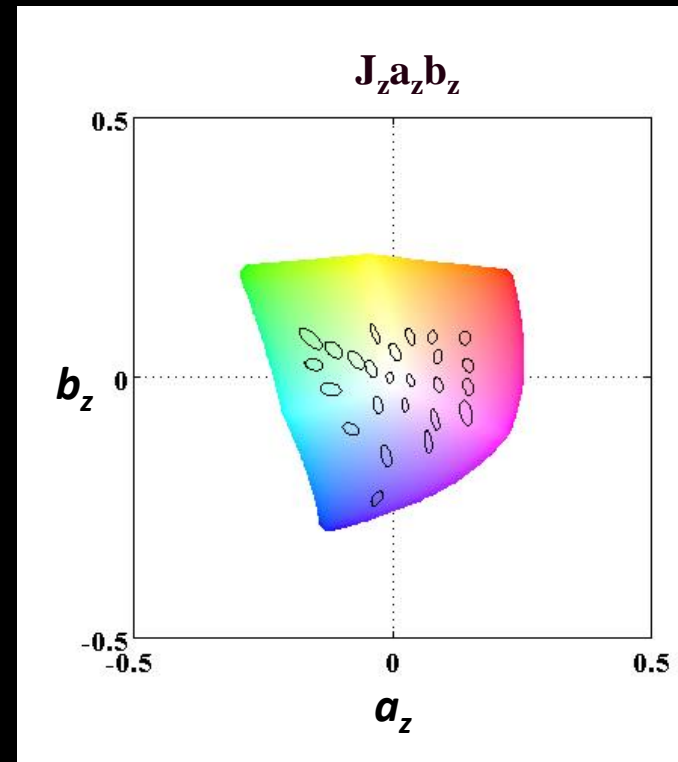
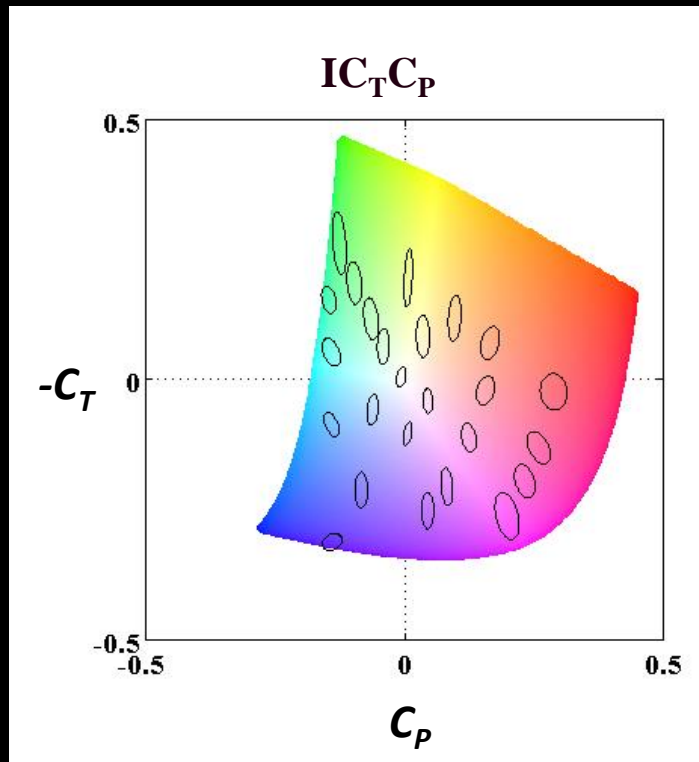
$$\begin{bmatrix} I \\ a_z \\ b_z \end{bmatrix} = \begin{bmatrix} 0.5 & 0.5 & 0 \\ 3.524000 & -4.066708 & 0.542708 \\ 0.199076 & 1.096799 & -1.295875 \end{bmatrix} \begin{bmatrix} L' \\ M' \\ S' \end{bmatrix} \quad (4)$$

$$J_z = \left(\frac{(1+d)I_z}{1+dI_z} \right) \quad \text{where } d = -0.56 \quad (5)$$

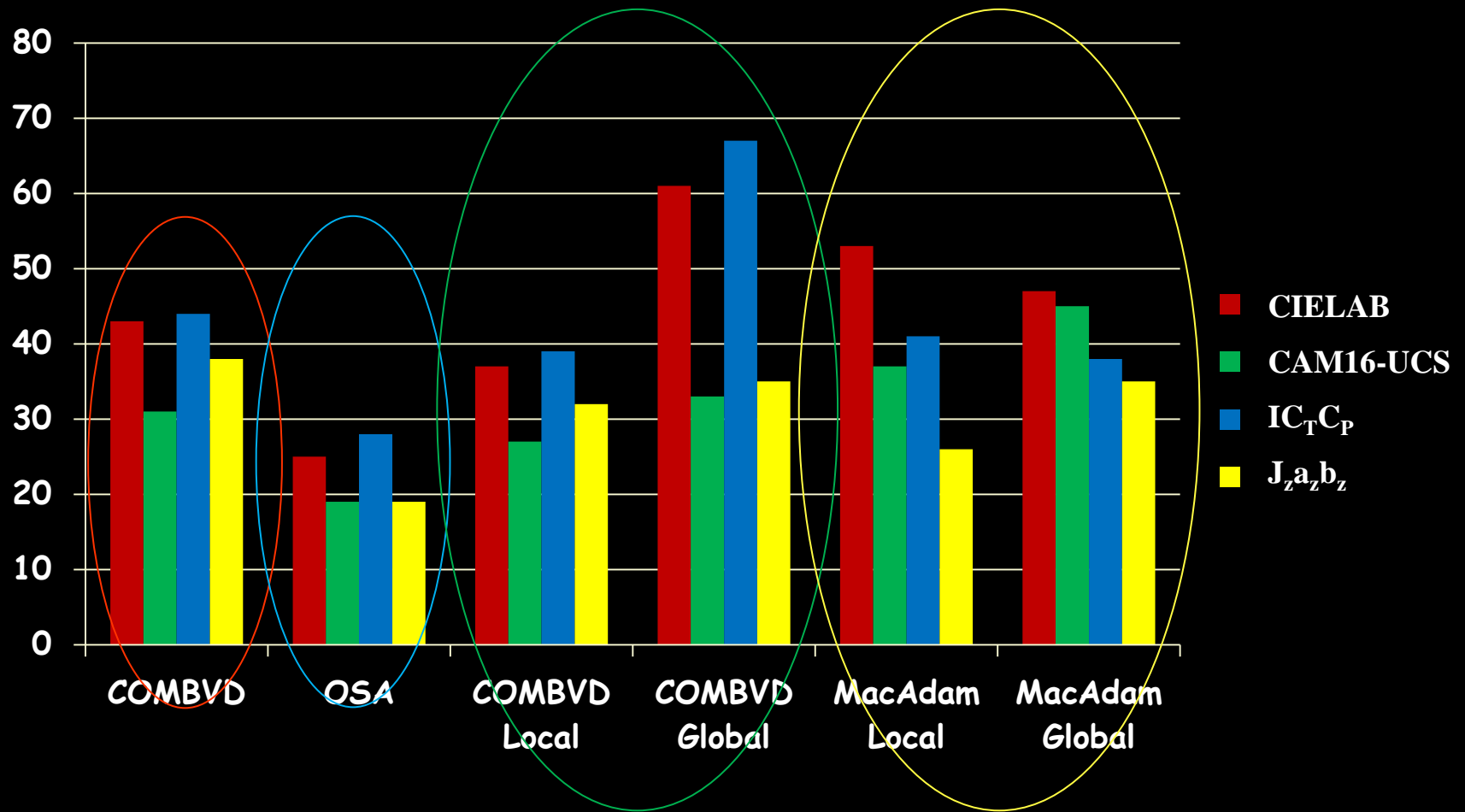
Results (Uniformity)



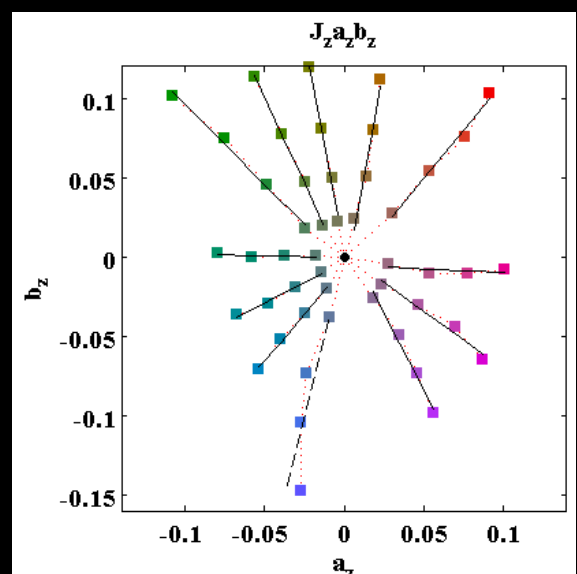
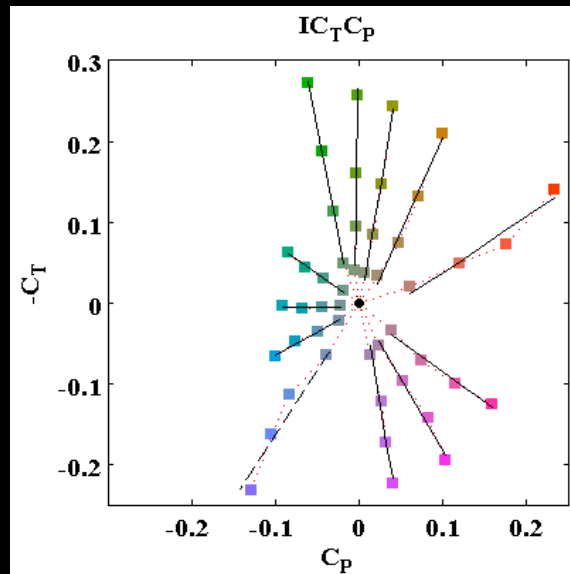
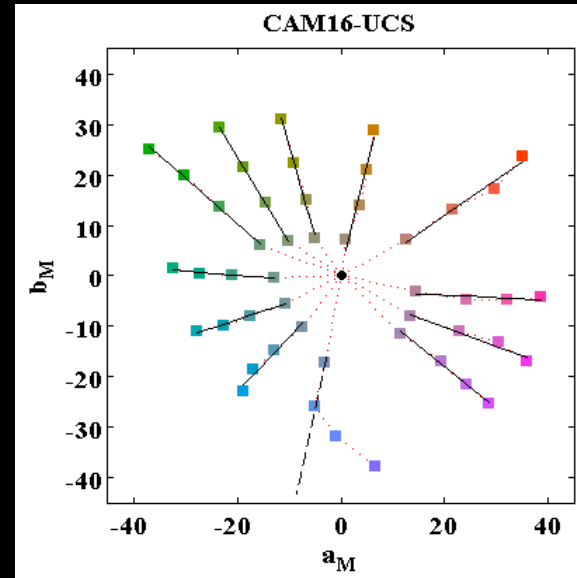
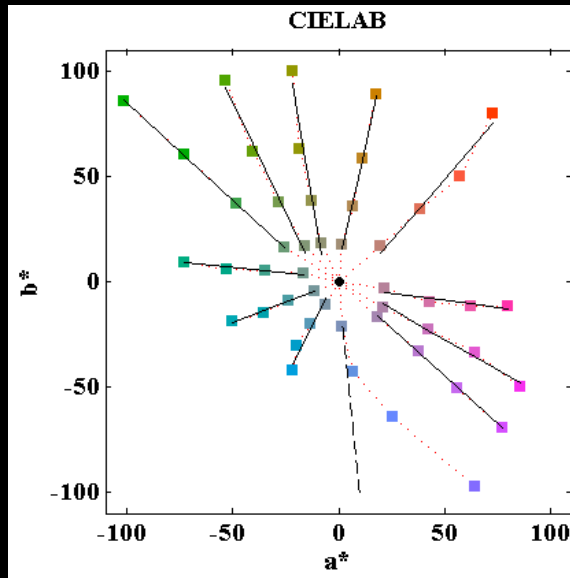
Results (Uniformity in WCG)



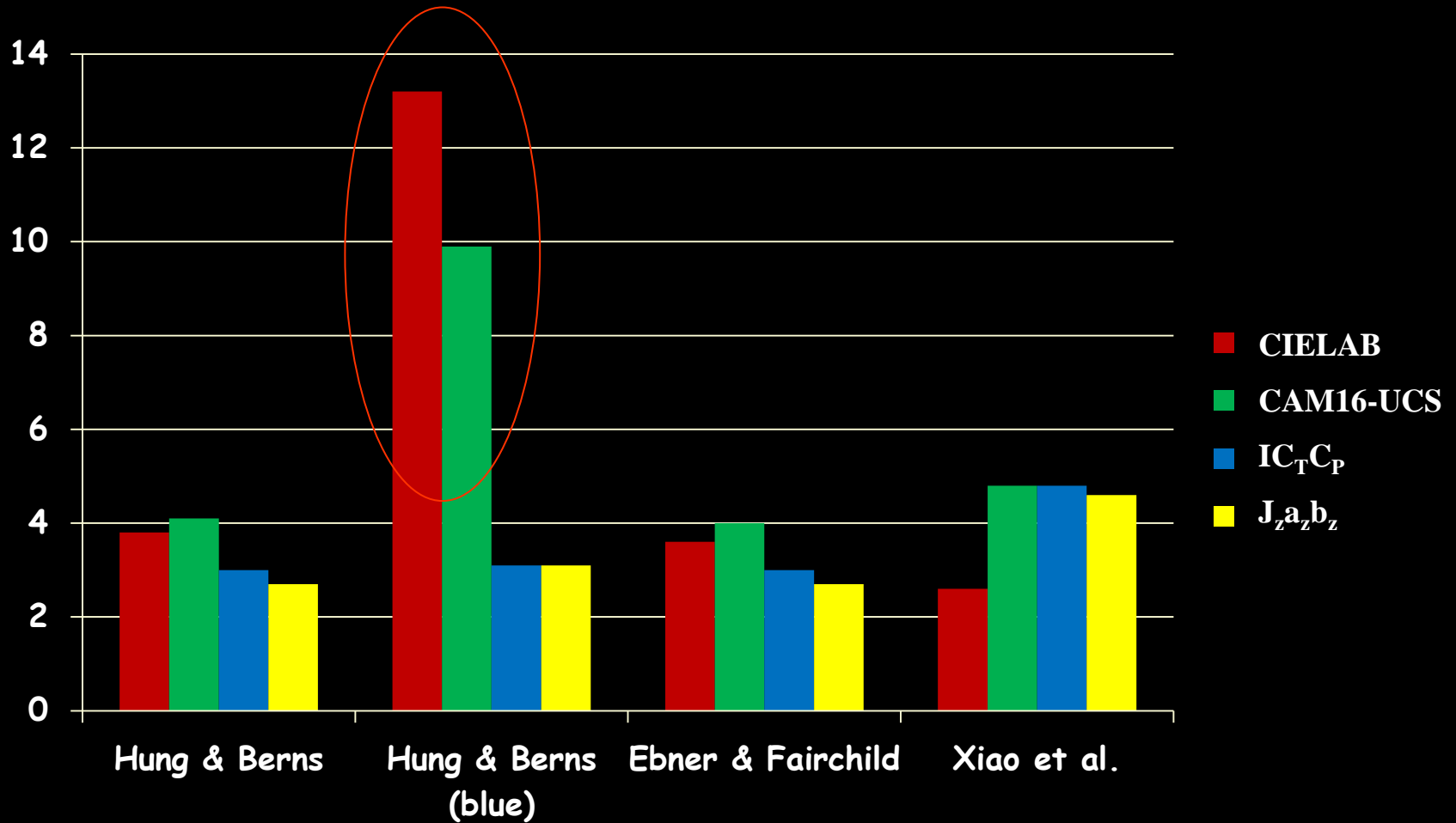
Results (Quantitative)



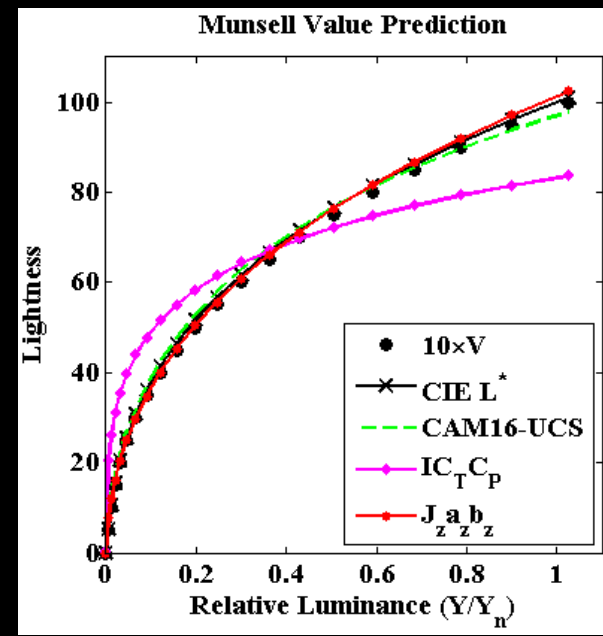
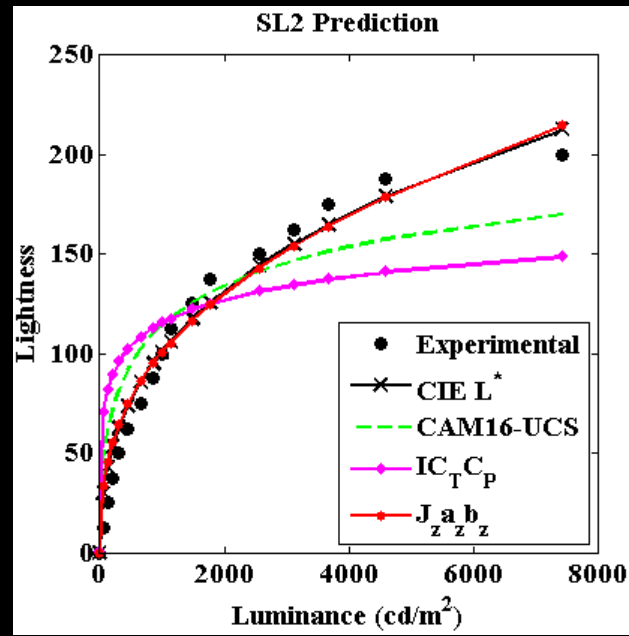
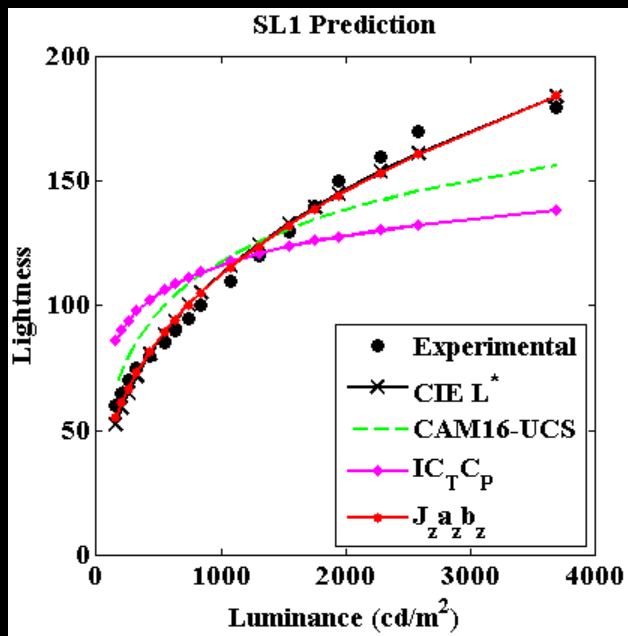
Results (Hue Linearity)



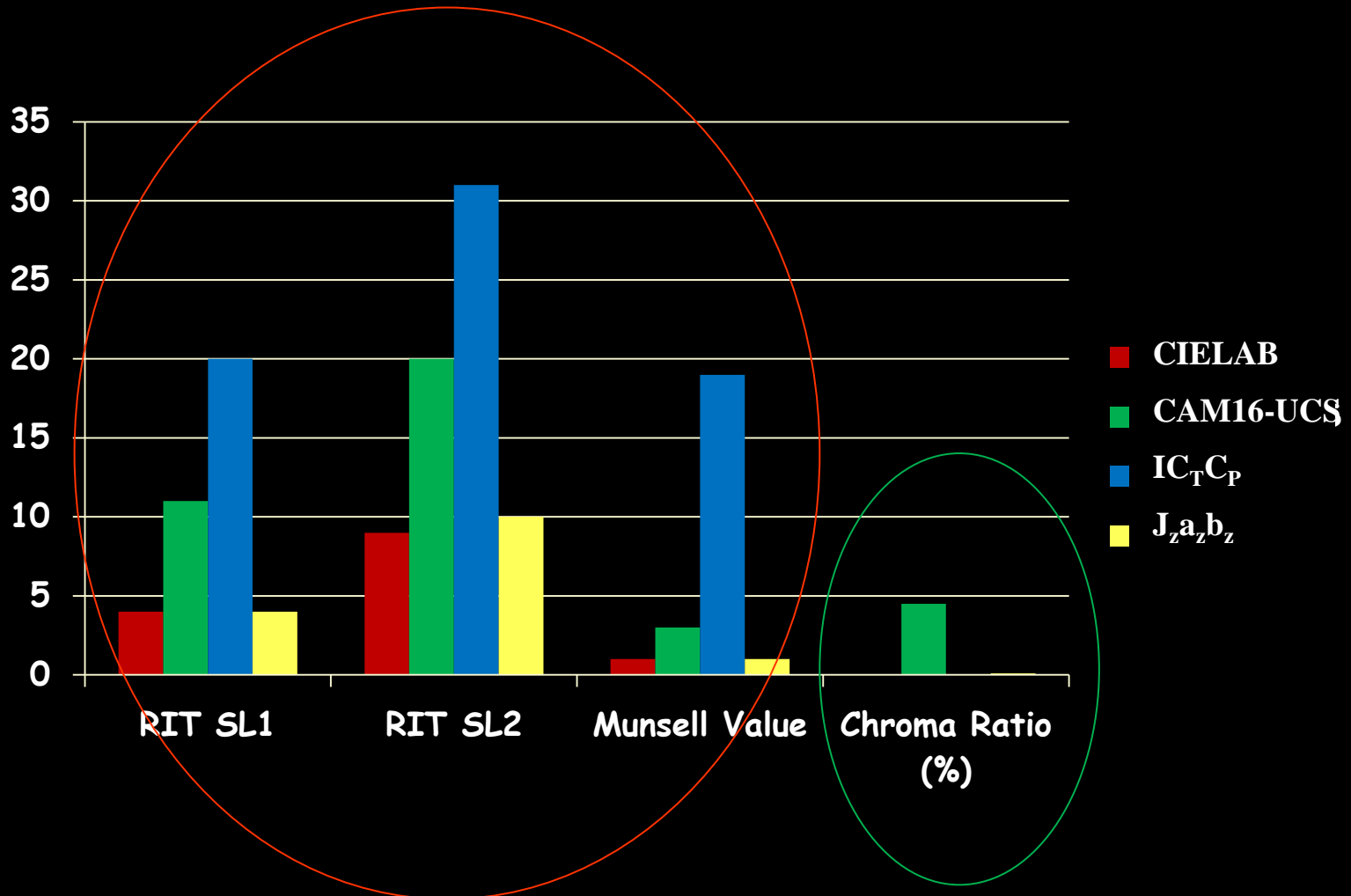
Results (Quantitative)



Results (Lightness Prediction)



Results (Lightness)



Conclusions

$J_z a_z b_z \rightarrow$

- Second best for small color difference
- Best for large color difference
- Best for wide gamut uniformity
- Best for hue linearity
- Best for wide-range lightness prediction
- Plausible grey-scale convergence

$J_z a_z b_z$ gave overall best performance and should be confidently used

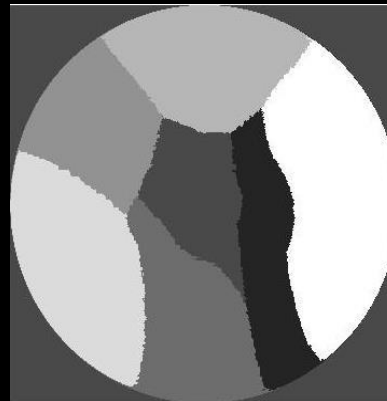
Demonstration (Image Segmentation)

Segmentation (7 regions) using K-means clustering algorithm

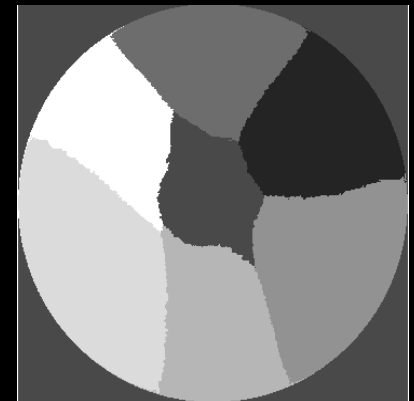
Original



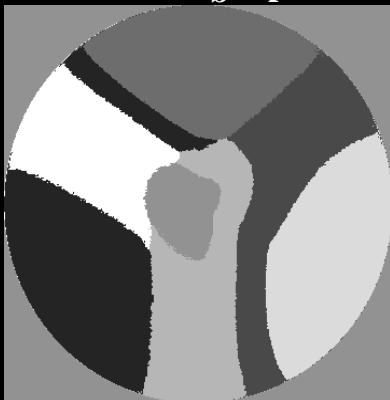
CIELAB



CAM16-UCS



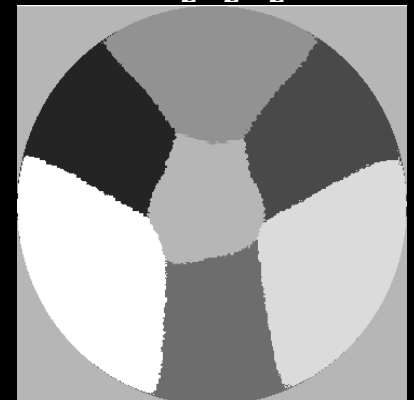
$Y C_b C_r$



$I C_T C_P$



$J_z a_z b_z$





Deliverables

1. Journal Paper: *Optics Express* (IF=3.3)

<https://www.osapublishing.org/oe/abstract.cfm?uri=oe-25-13-15131>

2. MATLAB Code for $J_z a_z b_z$

Thank You

Any
Questions?

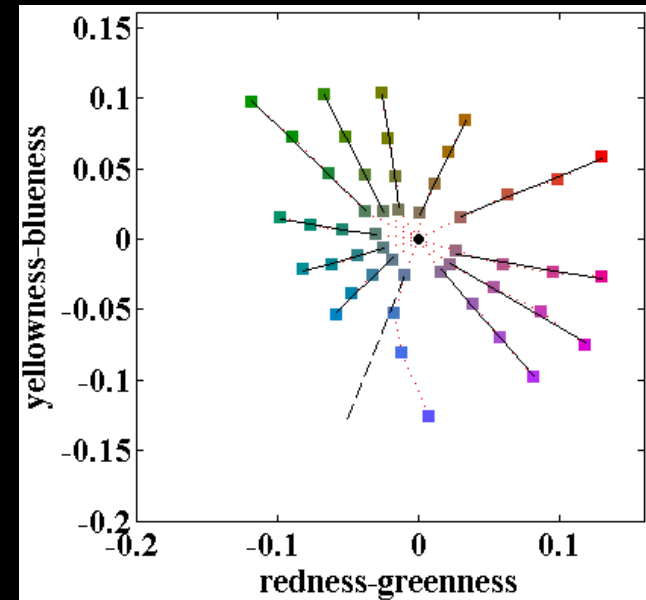
Model Development

➤ Initially, we start using a structure similar to $IC_T C_P$

$$\begin{bmatrix} L \\ M \\ S \end{bmatrix} = \begin{bmatrix} \alpha_{1,1} & \alpha_{1,2} & 1 - \alpha_{1,1} - \alpha_{1,2} \\ \alpha_{2,1} & \alpha_{2,2} & 1 - \alpha_{2,1} - \alpha_{2,2} \\ \alpha_{3,1} & \alpha_{3,2} & 1 - \alpha_{3,1} - \alpha_{3,2} \end{bmatrix} \begin{bmatrix} X_{D65} \\ Y_{D65} \\ Z_{D65} \end{bmatrix} \quad (1)$$

$$\{L', M', S'\} = \frac{c_1 + c_2 \left(\frac{\{L, M, S\}^n}{10,000} \right)^p}{1 + c_3 \left(\frac{\{L, M, S\}^n}{10,000} \right)} \quad (2)$$

$$\begin{bmatrix} I \\ a_z \\ b_z \end{bmatrix} = \begin{bmatrix} \omega_{1,1} & \omega_{1,2} & 1 - \omega_{1,1} - \omega_{1,2} \\ \omega_{2,1} & \omega_{2,2} & 1 - \omega_{2,1} - \omega_{2,2} \\ \omega_{3,1} & \omega_{3,2} & 1 - \omega_{3,1} - \omega_{3,2} \end{bmatrix} \begin{bmatrix} L' \\ M' \\ S' \end{bmatrix} \quad (3)$$



Model Development

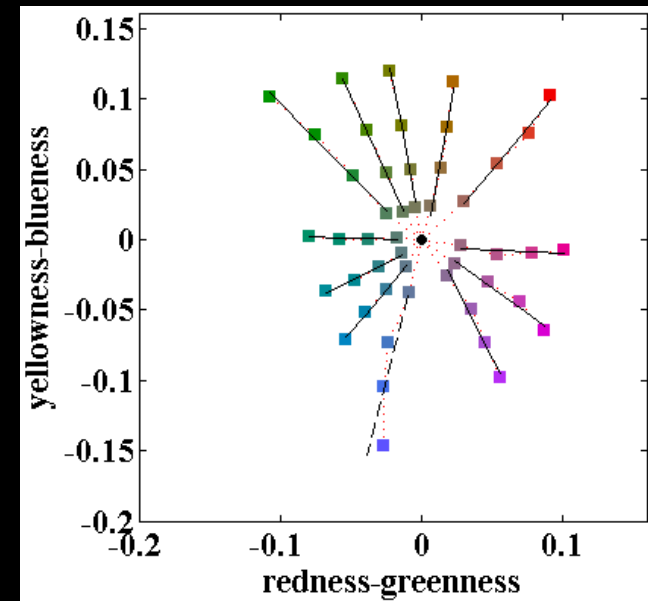
➤ Then we introduced a linear given below to correct hue linearity

$$\begin{bmatrix} X'_{D65} \\ Y'_{D65} \end{bmatrix} = \begin{bmatrix} bX_{D65} \\ gY_{D65} \end{bmatrix} - \begin{bmatrix} (b-1)Z_{D65} \\ (g-1)X_{D65} \end{bmatrix} \quad (1)$$

$$\begin{bmatrix} L \\ M \\ S \end{bmatrix} = \begin{bmatrix} \alpha_{1,1} & \alpha_{1,2} & 1 - \alpha_{1,1} - \alpha_{1,2} \\ \alpha_{2,1} & \alpha_{2,2} & 1 - \alpha_{2,1} - \alpha_{2,2} \\ \alpha_{3,1} & \alpha_{3,2} & 1 - \alpha_{3,1} - \alpha_{3,2} \end{bmatrix} \begin{bmatrix} X'_{D65} \\ Y'_{D65} \\ Z_{D65} \end{bmatrix} \quad (2)$$

$$\{L', M', S'\} = \frac{c_1 + c_2 \left(\frac{\{L, M, S\}}{10,000} \right)^n}{1 + c_3 \left(\frac{\{L, M, S\}}{10,000} \right)^n} \quad (3)$$

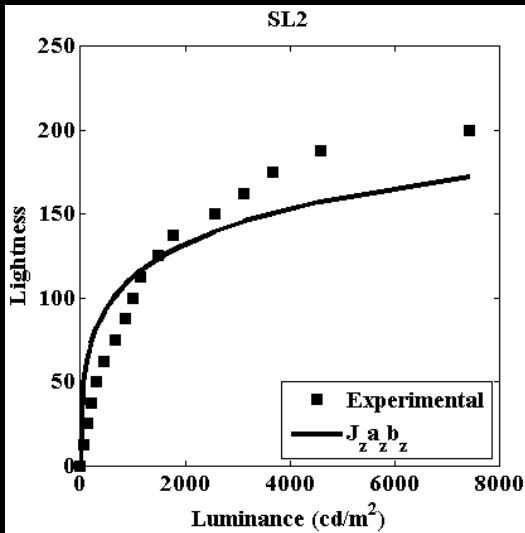
$$\begin{bmatrix} I_z \\ a_z \\ b_z \end{bmatrix} = \begin{bmatrix} \omega_{1,1} & \omega_{1,2} & 1 - \omega_{1,1} - \omega_{1,2} \\ \omega_{2,1} & \omega_{2,2} & 1 - \omega_{2,1} - \omega_{2,2} \\ \omega_{3,1} & \omega_{3,2} & 1 - \omega_{3,1} - \omega_{3,2} \end{bmatrix} \begin{bmatrix} L' \\ M' \\ S' \end{bmatrix} \quad (4)$$



Model Development

➤ Another simple equation to tune perceptual lightness

$$J_z = \left(\frac{(1+d)I_z}{1+dI_z} \right) \quad (5)$$



after Eq.5

